

**PUBLICATIONS** (original research, peer reviewed to an international standard)

- [1] B. Joseph, G. Loeper and J. Oblój, “Joint Calibration of Local Volatility Models with Stochastic Interest Rates using Semimartingale Optimal Transport,” *Quantitative Finance*, to appear, 2024.  
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